

$$-k \frac{\partial T}{\partial y} = q_{L,mls} \quad \text{at } y=0, L_1 < x < L_1 + L_2 \quad (2d)$$

$$-k \frac{\partial T}{\partial y} = q_{L,m} \quad (2e)$$

at $y=0, L_1 + L_2 < x < L_1 + L_2 + L_3$

$$-k \frac{\partial T}{\partial y} = q_{L,mrs} \quad (2f)$$

at $y=0, L_1 + L_2 + L_3 < x < L_1 + 2L_2 + L_3$

$$-k \frac{\partial T}{\partial y} = q_{L,rs} \quad (2g)$$

at $y=0, L_1 + 2L_2 + L_3 < x < L$

$$k \frac{\partial T}{\partial y} = q_{U,ls} \quad \text{at } y=H, 0 < x < L_1 \quad (2h)$$

$$k \frac{\partial T}{\partial y} = q_{U,mls} \quad \text{at } y=H, L_1 < x < L_1 + L_2 \quad (2i)$$

$$k \frac{\partial T}{\partial y} = q_{U,m} \quad (2j)$$

at $y=H, L_1 + L_2 < x < L_1 + L_2 + L_3$

$$k \frac{\partial T}{\partial y} = q_{U,mrs} \quad (2k)$$

at $y=H, L_1 + L_2 + L_3 < x < L_1 + 2L_2 + L_3$

$$k \frac{\partial T}{\partial y} = q_{U,rs} \quad (2l)$$

at $y=H, L_1 + 2L_2 + L_3 < x < L$

$$T = T_0 \quad \text{at } t = 0 \quad (3)$$

(2)

$$q_{ls} = \Phi_{CG,ls} \sigma (T_{FU}^4 - T_{S,ls}^4) \quad (4a)$$

$$q_{rs} = \Phi_{CG,rs} \sigma (T_{FU}^4 - T_{S,rs}^4) \quad (4b)$$

$$q_{L,ls} = \Phi_{CG,L,ls} \sigma (T_{FL}^4 - T_{S,L,ls}^4) \quad (4c)$$

$$q_{L,mls} = \Phi_{CG,L,mls} \sigma (T_{FL}^4 - T_{S,L,mls}^4) \quad (4d)$$

$$q_{L,m} = \Phi_{CG,L,m} \sigma (T_{FL}^4 - T_{S,L,m}^4) \quad (4e)$$

$$q_{L,mrs} = \Phi_{CG,L,mrs} \sigma (T_{FL}^4 - T_{S,L,mrs}^4) \quad (4f)$$

$$q_{L,rs} = \Phi_{CG,L,rs} \sigma (T_{FL}^4 - T_{S,L,rs}^4) \quad (4g)$$

$$q_{U,ls} = \Phi_{CG,U,ls} \sigma (T_{FU}^4 - T_{S,U,ls}^4) \quad (4h)$$

$$q_{U,mls} = \Phi_{CG,U,mls} \sigma (T_{FU}^4 - T_{S,U,mls}^4) \quad (4i)$$

$$q_{U,m} = \Phi_{CG,U,m} \sigma (T_{FU}^4 - T_{S,U,m}^4) \quad (4j)$$

$$q_{U,mrs} = \Phi_{CG,U,mrs} \sigma (T_{FU}^4 - T_{S,U,mrs}^4) \quad (4k)$$

$$q_{U,rs} = \Phi_{CG,U,rs} \sigma (T_{FU}^4 - T_{S,U,rs}^4) \quad (4l)$$

$$(4) \quad \Phi_{CG,U}, \Phi_{CG,L}$$

, q_U, q_L

σ

Stefan-Boltzmann

, T_{FU}, T_{FL}

, T_S

가

U : , L : , m : , rs :

ls : , mrs : , mls :

가

가

가

3.

2

Fig.2

(functional)

$$S[\mathbf{P}_N] = \int_{t=0}^{t_f} \sum_{m=1}^M [T(x_m, y_m, t; \mathbf{P}_N) - \mu_m(t)]^2 dt \quad (5)$$

$N = 1, \dots, 12$

(5) t_f , M

$\mu_m(t)$ x_m, y_m

\mathbf{P}_N 12

, $T(x_m, t; \mathbf{P}_N)$ x_m, y_m

\mathbf{P}_N

$T(x_m, y_m, t; \mathbf{P}_N)$

\mathbf{P}_N

(5) (gradient)

$$\mathbf{P}_N$$

$$\mathbf{P}_N^{k+1} = \mathbf{P}_N^k - \beta_N^k \mathbf{d}_N^k, \quad N = 1, \dots, 12 \quad (10)$$

(10) β^k (step size), \mathbf{d}^k (direction of descent)

$$\nabla S_N[\mathbf{P}_N] = -2 \int_{t=0}^{t_f} \sum_{m=1}^M [\mu_m(t) - T(x_m, y_m, t; \mathbf{P}_N)] \frac{\partial \mathbf{T}}{\partial \mathbf{P}_N} dt \quad (6)$$

$$\mathbf{d}_N^k = \nabla S_N(\mathbf{P}_N^k) + \gamma_N^k \mathbf{d}_N^{k-1} \quad N = 1, \dots, 12 \quad (11)$$

\mathbf{T} (6)

(11) γ^k (conjugate coefficient)

$$[\nabla S_N[\mathbf{P}_N]]_j = -2 \int_{t=0}^{t_f} \sum_{m=1}^M [\mu_m(t) - T(x_m, y_m, t; \mathbf{P}_N)] \frac{\partial \mathbf{T}}{\partial P_{N,j}} dt \quad (7)$$

$N = 1, \dots, 12, \quad j = 1, \dots, K$

$$\gamma_N^k = \frac{\sum_{j=1}^N [\nabla S_N(\mathbf{P}_N^k)]_j^2}{\sum_{j=1}^N [\nabla S_N(\mathbf{P}_N^{k-1})]_j^2} \quad (12)$$

K 가

$k + 1$

(7) $\partial \mathbf{T} / \partial \mathbf{P}_N$ (sensitivity coefficient matrix)

$$S[\mathbf{P}_N^{k+1}] = \int_{t=0}^{t_f} \sum_{m=1}^M [T(x_m, y_m, t; \mathbf{P}_N^{k+1}) - \mu_m(t)]^2 dt \quad N = 1, \dots, 12 \quad (13)$$

(13) Taylor

$$\frac{\partial \mathbf{T}}{\partial \mathbf{P}_l} = \begin{bmatrix} \frac{\partial T_1}{\partial P_{l,1}} & \frac{\partial T_1}{\partial P_{l,2}} & \dots & \frac{\partial T_1}{\partial P_{l,K}} \\ \frac{\partial T_2}{\partial P_{l,1}} & \ddots & & \vdots \\ \vdots & & \ddots & \vdots \\ \frac{\partial T_M}{\partial P_{l,1}} & \dots & \dots & \frac{\partial T_M}{\partial P_{l,K}} \end{bmatrix} \quad (8)$$

$$S[\mathbf{P}_N^{k+1}] = \int_{t=0}^{t_f} \sum_{m=1}^M [T(x_m, y_m, t; \mathbf{P}_N^k) - \beta_1^k \mathbf{C}_1^k - \beta_2^k \mathbf{C}_2^k - \dots - \beta_{11}^k \mathbf{C}_{11}^k - \beta_{12}^k \mathbf{C}_{12}^k - \mu_m(t)]^2 dt \quad (14)$$

$$\mathbf{C}_N^k = \mathbf{d}_N^k \frac{\partial \mathbf{T}}{\partial \mathbf{P}_N^k} \quad (15)$$

$$\frac{\partial T_i}{\partial P_{l,j}} \cong \{T_i(P_{l,1}, P_{l,2}, \dots, P_{l,j} + \varepsilon P_{l,j}, \dots, P_{l,K}) - T_i(P_{l,1}, P_{l,2}, \dots, P_{l,K})\} / 2\varepsilon P_{l,j} \quad (9)$$

$$\beta_N^k \quad (N = 1, \dots, 12) \quad \beta_1^k$$

(9) $\varepsilon = 0.001$ (9)가

$P_{l,j}$ 가

2

$$\min_{\beta_i^k} S[\mathbf{P}_N^{k+1}] = \int_{t=0}^{t_f} \sum_{m=1}^M -2\mathbf{C}_1^k [T(x_m, y_m, t; \mathbf{P}_N^k) - \beta_1^k \mathbf{C}_1^k - \beta_2^k \mathbf{C}_2^k - \dots - \beta_{11}^k \mathbf{C}_{11}^k - \beta_{12}^k \mathbf{C}_{12}^k - \mu_m(t)] dt = 0 \quad (16)$$

$$\beta_N^k$$

$$\begin{bmatrix} A_{1,1} & \cdots & A_{1,12} \\ \vdots & \ddots & \vdots \\ A_{2,1} & \cdots & A_{12,12} \end{bmatrix} \begin{bmatrix} \beta_1^k \\ \vdots \\ \beta_{12}^k \end{bmatrix} = \begin{bmatrix} B_1 \\ \vdots \\ B_{12} \end{bmatrix} \quad (17)$$

$$A_{i,j} = \sum_{m=1}^M \int_{t=0}^{t_f} \left[\mathbf{d}_i^k \frac{\partial \mathbf{T}}{\partial \mathbf{P}_i^k} \mathbf{d}_j^k \frac{\partial \mathbf{T}}{\partial \mathbf{P}_j^k} \right] dt \quad (18a)$$

$$B_i = \sum_{m=1}^M \int_{t=0}^{t_f} [T(x_m, y_m, t; \mathbf{P}_N^k) - \mu_m(t)] \mathbf{d}_i^k \frac{\partial \mathbf{T}}{\partial \mathbf{P}_i^k} dt \quad (18b)$$

(17) LU

β_N^k

4.

4.1

가

가
(1000~1350°C)

가

가

Table 1 Estimated total heat exchange factors at skid part

1	0.3279	1.1326	1.8642	1.2778
2	1.3280	1.0313	1.4965	1.0825
3	0.6145	0.4938	0.7126	0.6145
4	0.4634	0.5302	0.4504	0.4059
5	1.0513	1.5562	0.3115	0.5845
6	0.2000	1.9409	0.5467	0.7160
7	0.2000	0.2000	0.6809	0.9796
8	0.2000	0.4801	0.8440	0.0875
9	0.3533	0.5585	0.6502	0.2095
10	0.3121	0.5467	0.6531	0.1791
11	0.4894	0.5205	0.4765	0.5977

Table 2 Estimated total heat exchange factors at skid-gan part

1	0.5254	1.0594	1.7503	0.9936
2	1.4883	2.0000	0.2986	0.2456
3	0.4787	0.6468	0.7839	0.4379
4	0.4667	0.4568	0.9164	0.1404
5	1.2878	1.8930	1.1247	0.5979
6	0.4158	0.2000	0.4060	1.3876
7	0.2000	0.2000	0.3803	1.8769
8	0.3757	0.2000	0.8168	1.9433
9	0.4618	0.3956	0.0873	1.9140
10	0.4293	0.3424	0.7948	2.0000
11	0.4873	0.4797	0.4323	1.4757

/ 30700 / 32000 / 34200 / 36200 / 41000

4.2

Fig.2
12

(heat resistive data logger system)

40 kg/mm², 230 mm×1270 mm×8540 mm,
19,510Kg) 가

가

가

Fig.2

skid

skid-gan

Table 1,

11

12

2

Table 1, 2

2

Fig.3, 4, 5

(mm)

0 / 7400 / 14000 / 16000 / 21000 / 24000 / 28000

Fig.3

skid

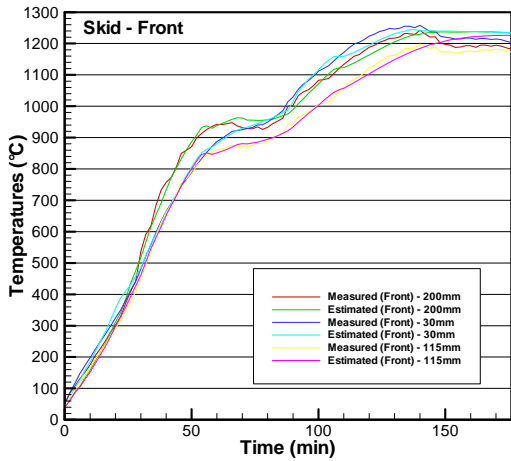


Fig.3 Measured and estimated temperatures at front skid part

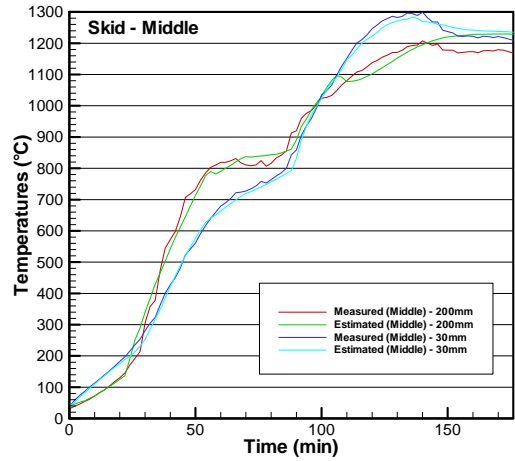


Fig.4 Measured and estimated temperatures at middle skid part

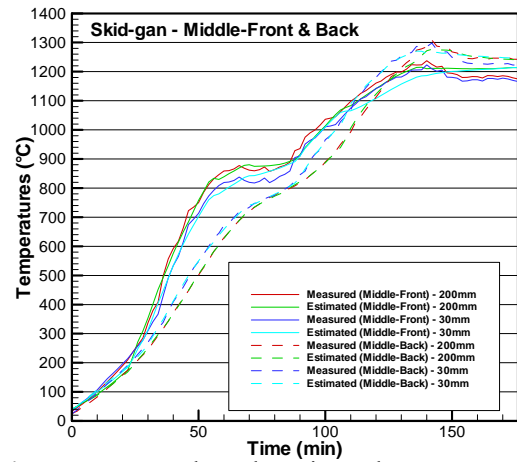


Fig.5 Measured and estimated temperatures at middle-front and middle-back skid-gan part

Fig.4

1
115mm
2
skid
가
200mm

Fig.5

0.2
가
skid-gan

150

가 가

12

가

5.

가

2

2

- (1) Veslocki, T. A., Smith, C. C. and Kelly, C. D., 1986, "Automatic Slab Heating Control at INLAND'S 80-IN. HOT STRIP MILL," *Iron & Steel Engineer*, Vol. 63, No. 12, pp. 47~54.
- (2) Hollander, F. and Zuurbier, S. P. A., 1985, "Accurate Temperature Control of the Reheating Process at Mixed Cold and Hot Charging," *Proceedings of the International Conference on Process Control and Energy Savings in Reheating Furnaces*, Vol. 36, No. 6, pp. 1~6.