

A Measurement of Adhesion Energy between Viscoelastic/Elastic, Viscoelastic/Viscoelastic Materials Using Contact Mechanics Approach

C. Lee and Y.Y. Earmme

Key Words : Adhesion energy(), Contact(), Nano indenter(), Viscoelasticity()

Abstract

The nanoimprint lithography technology makes higher density of semiconductor device and larger capacity of storage media. In this technology the induced damage while detaching polymer pattern from mold should be minimized. In order to analyze the problem, the basic knowledge of adhesion between the polymer and the mold is required. In this study a contact experiment of polyisobutylene specimen with spherical steel tip and polyisobutylene bead tip was conducted using nano indenter. During the contact experiment with various loading rate under load control the contact behavior of viscoelastic material was measured, i.e., the load and displacement between the tip and the specimen were measured. The data was analyzed by HBK model to obtain the stress intensity factor of contact edge and the contact radius as a function of time. Also the adhesion energies between steel/polyisobutylene and polyisobutylene/polyisobutylene were obtained employing the analysis of the crack of viscoelastic material by Schapery.

1. (molding) 가 가 (adherence) 가 (1). 가 (patterning) (energy dissipation) (lithography) (compact disc, CD), LCD Falsafi (2) 가 JKR (3) (nanoimprint lithography, NIL) JKR 가 Baney (4) HBK (stress intensity factor) † * (5)

(nano indenter)
 (polyisobutylene, PIB, [-CH₂C(CH₃)₂]_n)
 (bead)
 HBK

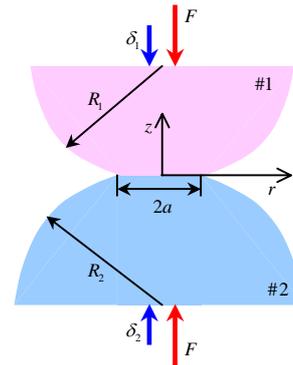


Fig. 1 A cross-sectional view of two hemispheres in contact.

2.

2.1 HBK

1 가
 가
 a(t)
 (adhesion force),
 Van der Waals 가
 F(t)

$$C^*(t) * F(t) = \frac{4a^3(t)}{3R} - 2\sqrt{\pi a^3(t)} C_0^* K_I(t) \quad (1)$$

, delta(t) a(t)

$$\delta(t) = \frac{a^2(t)}{R} - \sqrt{\pi a(t)} C_0^* K_I(t) \quad (2)$$

가 C*(t)
 C*(t) ≡ C₁(t) + C₂(t)
 1, 2 1, 2, C₀* C₀* ≡ C*(0)
 C(t)

$$C_i(t) \equiv \frac{1 - \nu_i^2}{2E_i(t)}, \quad i = 1, 2 \quad (3)$$

, E(t) nu
 Poisson Convolution

$$\varphi * d\psi = \psi * d\varphi \equiv \int_{-\infty}^t \varphi(t-\tau) d\psi(\tau) \quad (4)$$

, K_I(t) 가

I

R

$$R^{-1} = R_1^{-1} + R_2^{-1}, \quad \delta(t) \equiv \delta_1(t) + \delta_2(t) \quad (5)$$

2.2 Schapery

Hui (5) Schapery(6)

Schapery 가
 Dugdale 가

$$\omega = \sigma_0 h_0 \quad (5)$$

sigma_0, h_0

가

$$C(t) = C_0 + C_1 t^m, \quad 0 < m < 1. \quad (6)$$

가 (V = a-dot = da/dt),
 , V

$$\omega = \frac{Z\omega}{C_0(1+\lambda(Z))^2} \left[C_0 + C_1 c_m \gamma_m \left(\frac{\pi h_0^2}{4C_0 \omega V} \frac{Z}{(1+\lambda(Z))^2} \right)^m \right] \quad (7)$$

c_m, gamma_m

$$c_m = \frac{2m+1}{m+1}, \quad (8)$$

$$\gamma_m = \sqrt{\frac{\pi}{4}} \frac{\Gamma(m+1)}{\Gamma(m+3/2)} \quad (9)$$

, Gamma (gamma function)

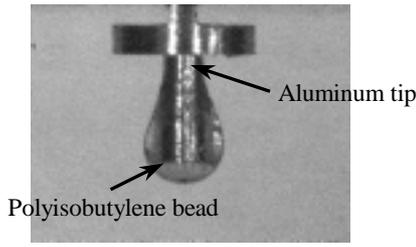


Fig. 2 Polyisobutylene bead tip.

$Z \quad \lambda(Z)$

$$Z \equiv \frac{C_0 K_I^2}{2\sigma_0 h_c}, \quad (10)$$

$$\lambda(Z) \equiv \frac{1}{2} \left(c_m Z + \sqrt{c_m Z + \sqrt{c_m Z + 4c_m} - 4} \right) - 1 \quad (11)$$

(6)

3.

3.1

PIB

가
PIB

1,000,000 4,200,000 PIB
가 1~2 mm

0.5 mm

가

PIB
(relaxation function) 1 MPa
210 GPa

가

1,000,000

PIB
1~1.2 mm

PIB
DMA 2980

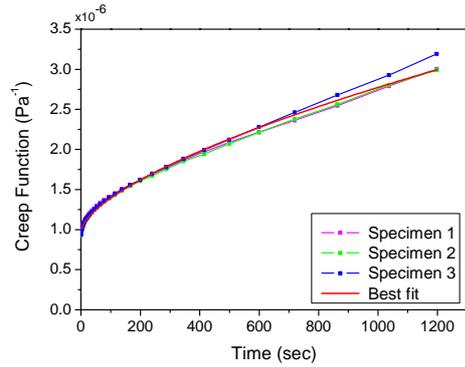
(2)
TA Instrument 1%

20

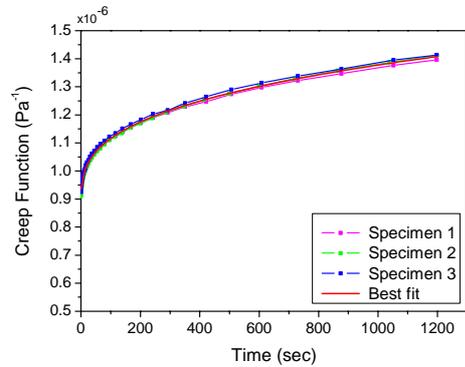
(3)

, $\nu \approx 1/2$ 가 PIB

K_I



(a)



(b)

Fig. 3 Measured creep compliance function of PIB.
(a) PIB Mw 1,000,000. (b) PIB Mw 4,200,000.

Schapery

(curve fitting)

$$C(t) = (0.9863 + 0.02094t^{0.6438}) \times 10^{-6} \text{ Pa}^{-1}, \quad (12)$$

$$C(t) = (0.8847 + 0.0510t^{0.3284}) \times 10^{-6} \text{ Pa}^{-1}. \quad (13)$$

3.2

MTS Nano Indenter XP

System

가 20 x 10 mm²

PIB

PIB

(puck)

(4).

thermal drift 2 nm/s

20

(bonding)

가

(debonding)

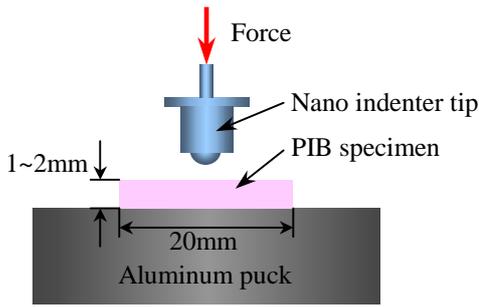
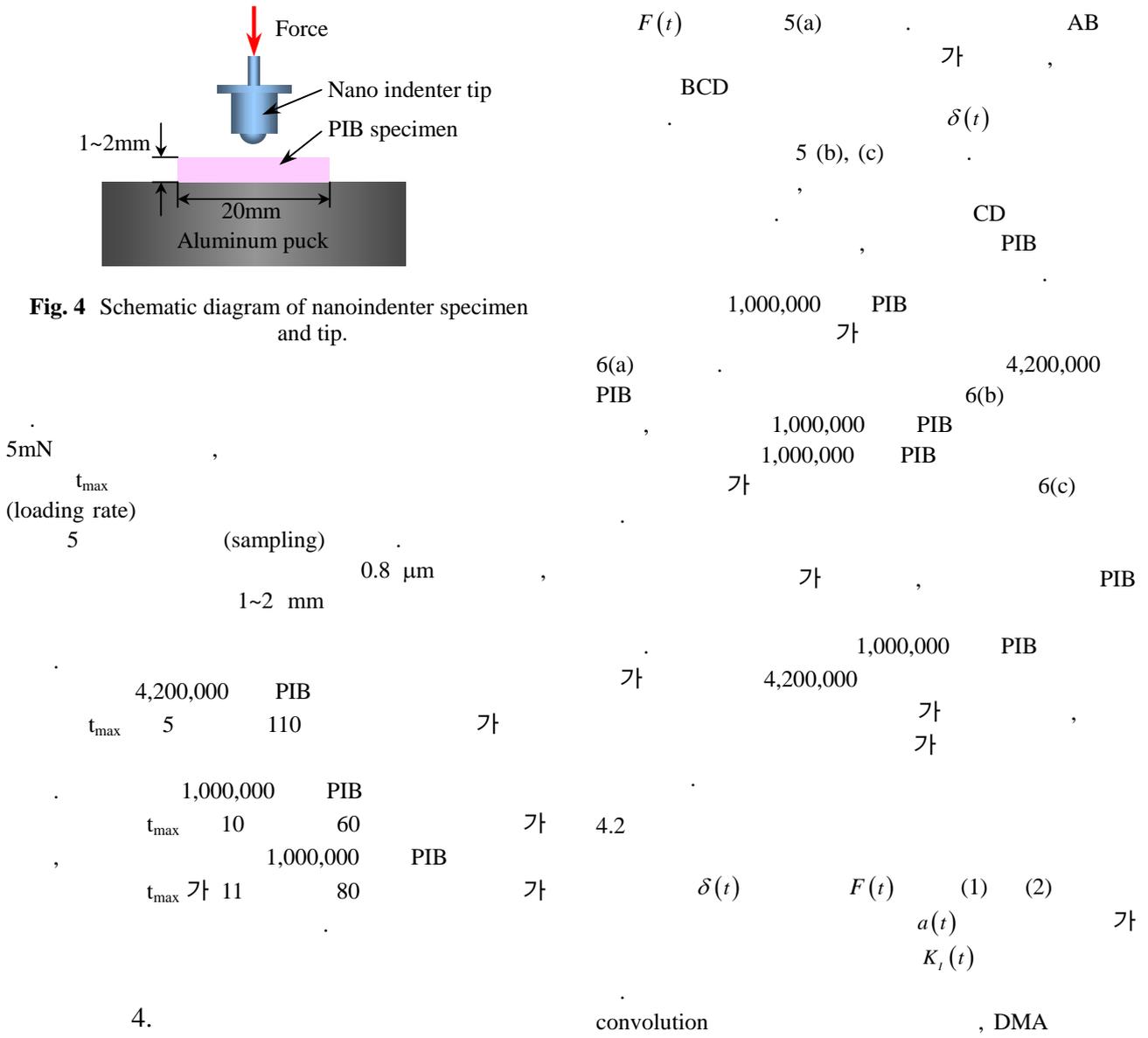


Fig. 4 Schematic diagram of nanoindenter specimen and tip.



4.1

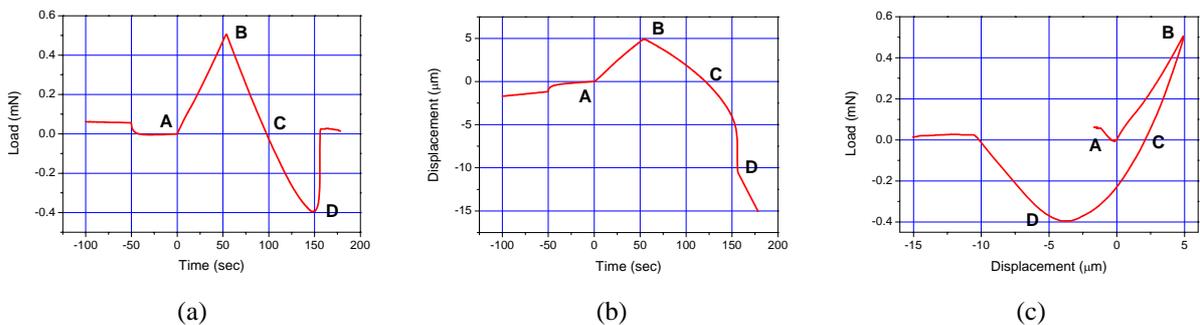


Fig. 5 Load, displacement and load-displacement curve during a typical loading-unloading cycle (PIB Mw 4,200,000 specimen and spherical steel tip, loading rate $9.30 \mu\text{ m/s}$). (a) Load history. (b) Displacement history. (c) Load-displacement curve.

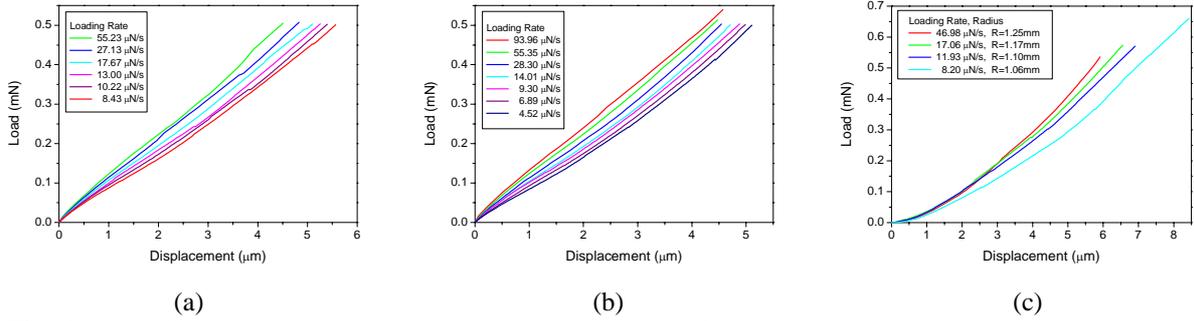


Fig. 6 Load-displacement curve between PIB specimen and tip for various loading rates. (a) PIB Mw 1,000,000 specimen and spherical steel tip. (b) PIB Mw 4,200,000 specimen and spherical steel tip. (c) PIB Mw 1,000,000 specimen and Mw 1,000,000 PIB bead tip

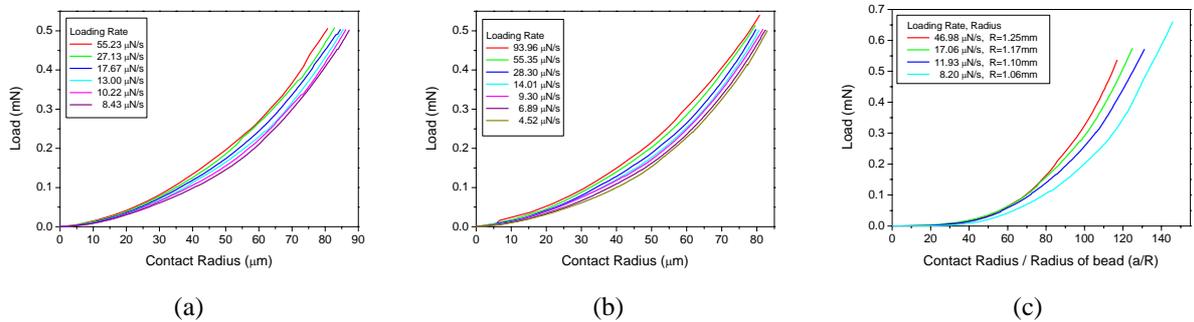


Fig. 7 Load-contact radius curve between PIB specimen and tip for various loading rates. (a) PIB Mw 1,000,000 specimen and spherical steel tip. (b) PIB Mw 4,200,000 specimen and spherical steel tip. (c) PIB Mw 1,000,000 specimen and Mw 1,000,000 PIB bead tip.

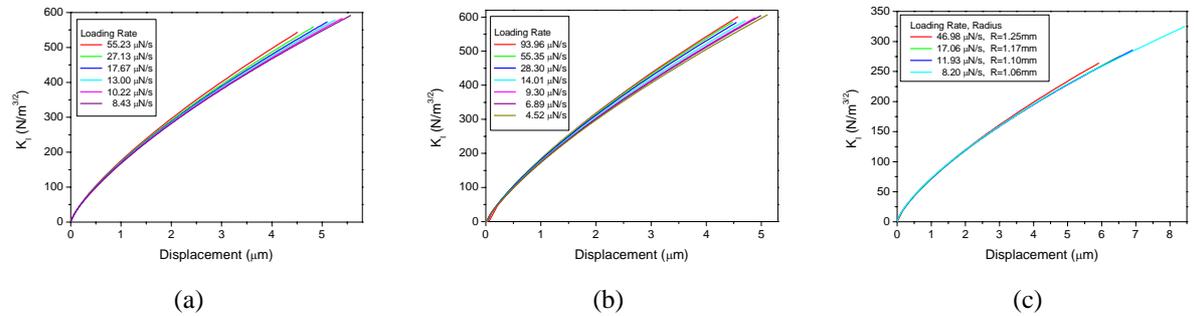


Fig. 8 S.I.F-displacement curve between PIB specimen and tip for various loading rates. (a) PIB Mw 1,000,000 specimen and spherical steel tip. (b) PIB Mw 4,200,000 specimen and spherical steel tip. (c) PIB Mw 1,000,000 specimen and Mw 1,000,000 PIB bead tip.

가 4.3 가 ()
 가 , PIB 가 , 2.2 Schapery
 . PIB , 7 (c) . $\delta(t)$ $F(t)$
 , $K_I(t)$ $V(t)$
 가 가 5
 가 가 5
 가 가 . (7)

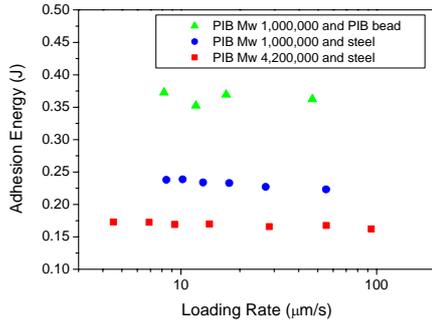


Fig. 9 Variation of adhesion energy with loading rate.

Table 1 Adhesion energy of polyisobutylene.

Specimen Tip	PIB Mw 1,000,000	PIB Mw 4,200,000
Steel	278.3 ± 39.7 mJ	158.0 ± 22.1 mJ
PIB Mw 1,000,000	362.4 ± 47.1 mJ	

ω , t h_0
 (least square fit) ω h_0
 h_0 5 nm 가 ⁽⁵⁾
 1,000,000 4,200,000 PIB
 9 h_0 5 nm 가
 1,000,000 PIB
 9 PIB
 PIB 가
 가 PIB , PIB
 1
 5.
 PIB
 HBK 가
 Schapery
 PIB
 가 Schapery

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