

# Public transport network connectivity analysis using space syntax

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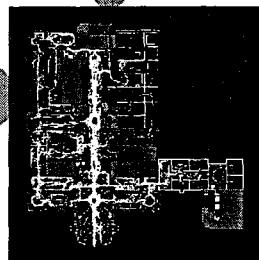
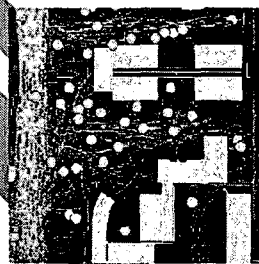
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## Introduction

- Public-oriented transportation policies
- Unbalanced supply due to less systematic route planning and operations
- Unbalanced accessibility causes inequalities in time, expenses and mental burden of users.
- Need robust methodology to assess the accessibility or serviceability of the transport routes.

## Introduction

- Space syntax is the technique to analyze the connectivity of urban or architectural spaces.
- Has been applied to analyzing movement in indoor spaces or pedestrian paths (not in transport network).
- The study proposes a method to evaluate accessibility of public transport network based on its topological structure.

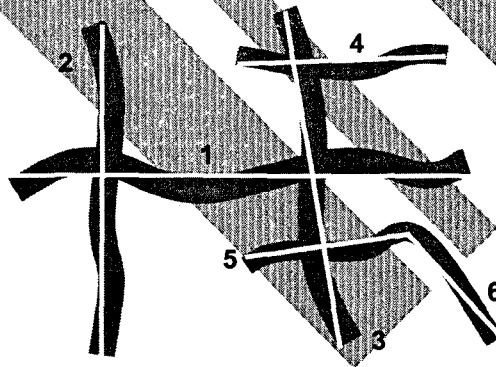


## Hierarchical Network Configuration

- Movement can be described in an abstracted form using its topology.
- Topological description helps focus on the structural relationship among units.
  - For example, pedestrian movement can be described using network of simple lines without considering the details such as sizes of forms, number of people and speed of movement.

## Hierarchical Network Configuration

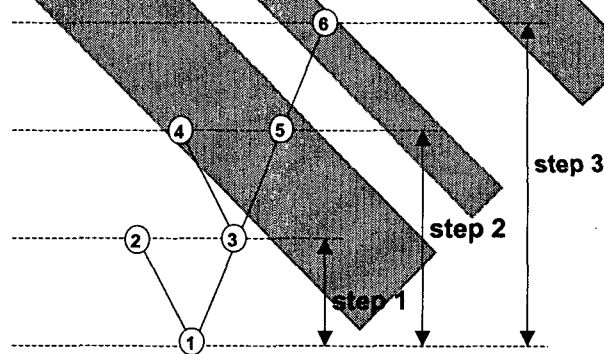
- Topological description of streets network



## Hierarchical Network Configuration

### ■ Hierarchical structure of a street

- Representing each component with a node and a turn with a link connecting their respective nodes



## Hierarchical Network Configuration

### ■ This relationship is described through a variable called *depth*.

- Depth of one node from another can be directly measured by counting the number of steps (or turns) between two nodes.

# Hierarchical Network Configuration

- Total Depth(TD)
  - $TD_1 = 1 \times 2 + 2 \times 2 + 3 \times 1 = 9$

$$TD_i = \sum_{s=1}^m s \times N_s$$

$TD_i$  : the total depth of node  $i$   
 $s$  : the step from node  $i$   
 $m$  : the maximum number of steps extended from node  $i$   
 $N_s$  : the number of nodes at step  $s$

- $TD_1 = 1 \times 2 + 2 \times 2 + 3 \times 1 = 9$

$$TD_i = \sum_{s=1}^m S \times N_s$$

$N_s$ : the number of nodes at step  $s$

# Hierarchical Network Configuration

■ Mean Depth(MD) =  $TD / (k-1)$

■ Normalized Depth(ND)

\* k : the total number of nodes

1 2 3 4  
 1 2 3 4  
 step 1

a. completely symmetrical network

1 2 3 4  
 1 2 3 4  
 step k

b. completely asymmetrical network

$MD = \frac{1+2+\dots+(k-1)}{k-1} = \frac{(k-1)k/2}{k-1} = \frac{k}{2}$

$MD = \frac{k-1}{k-1} = 1$

$1 \leq MD \leq \frac{k}{2}$

$0 \leq \frac{2(MD-1)}{k-2} \leq 1$

$k$ : the total number of nodes

a. completely symmetrical network

$$MD = \frac{1+2+\dots+(k-1)}{k-1} = \frac{(k-1)k/2}{k-1} = \frac{k}{2}$$

The diagram shows a network with 4 nodes and 3 links. The nodes are arranged in a vertical column and are numbered 1, 2, 3, and 4 from bottom to top. The links are represented by horizontal lines: one between nodes 1 and 2, one between nodes 2 and 3, and one between nodes 3 and 4. A vertical double-headed arrow on the right side of the column of nodes is labeled "step k".

**b. completely asymmetrical network**

$$MD = \frac{k-1}{k-1} = 1$$

$$1 \leq MD \leq \frac{k}{2}$$

$$0 \leq \frac{2(MD-1)}{k-2} \leq 1$$

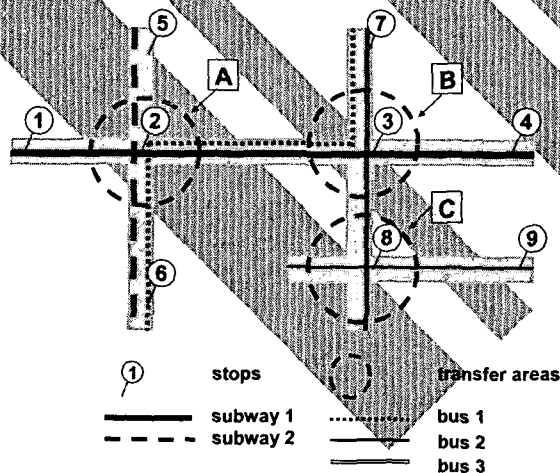
## Applying to Public Transportation

- Hierarchical network structure focuses on turns of spaces while the public transportation entails transfers between vehicles.

- » In hierarchical network description, the deeper the depth from a space to others, the more relatively difficult it is to move from that space to others.
- » In public transportation, cost generally increases as the number of transfers between different modes increases.

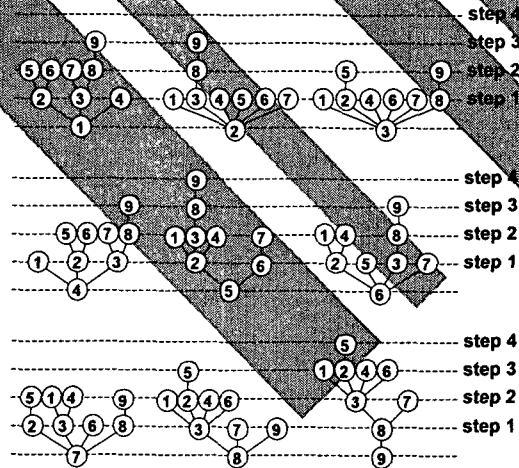
## Applying to Public Transportation

- » One transfer from a transportation mode to another is the 'spatial transfer' which becomes one *depth* between spaces.



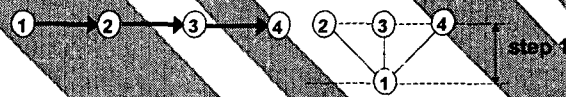
## Applying to Public Transportation

- Mapping schematic route connectivity onto a graph

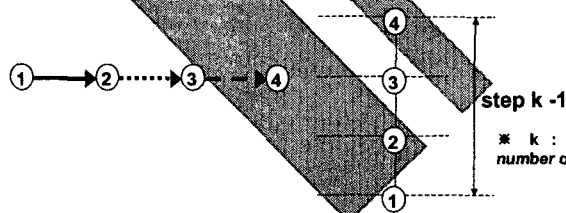


## Applying to Public Transportation

- Symmetry and asymmetry of the route connectivity



a. complete symmetry of the route connectivity



b. complete asymmetry of the route connectivity

## Applying to Public Transportation

### • Computing depth from each stop

Stop No.	TD	MD	ND	ND <sup>-1</sup>
1	14	1.750	0.214	4.67
2	11	1.375	0.107	9.33
3	10	1.250	0.071	14.00
4	14	1.750	0.214	4.67
5	17	2.125	0.321	3.11
6	13	1.625	0.179	5.60
7	12	1.500	0.143	7.00
8	14	1.750	0.214	4.67
9	21	2.625	0.464	2.15

## Applying to Public Transportation

### ■ Iterative procedure for computing TD

#### 1. For $i=1 \sim k$ stops

##### 1.1 For all routes that share stop $i$

##### 1.1.1 Step = $i$

##### 1.1.2 Find all stops except for stop $i$ and accumulate TD

##### 1.1.3 For all transfer areas found

##### 1.1.3.1 Find all stops in current transfer area

##### 1.1.3.2 For each stop

##### 1.1.3.2.1 for each route

Step++ and go to 1.1.2

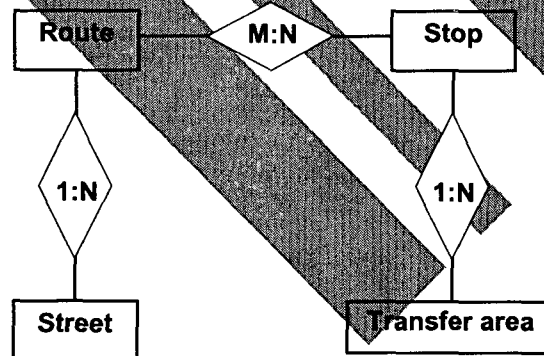


## Integrating into GIS

- Typical GIS data structure alone can not capture the complex relationship in public transportation.
- The relationship among streets, routes, stops and transfer areas can be abstracted into an entity-relationship model in a relational database.

## Integrating into GIS

- E-R diagram for public transport network



## **Concluding Remarks**

- A method to assess accessibility of public transport network was proposed by defining the network relationship onto a graph.
- An analogy between the concept of depths in pedestrian network and the accessibility of network of transport routes was used.
- An algorithm to automate the computing process was developed.
- If the procedure is applied to a city, we can quantify the difference in the serviceability of city areas based on the public transportation.

**Thank You!**